

#	A	B	C	D
1.	26	104	480	240/13
2.	15	$(\frac{1}{2}, 18)$	4/3	(-1,16)
3.	16	96	7	42
4.	7	$4\sqrt{3}$	$2\sqrt{21}$	$28\sqrt{3}$
5.	32	$8\sqrt{11}$	$\frac{16\sqrt{11}}{5}$	$\frac{43}{45}$
6.	trapezoid	90	60	120
7.	12	$48\pi$	$12\pi$	$72\pi\sqrt{3}$
8.	$\triangle PQR$ (letters in this order only)	12	$35/2$	14
9.	6	-9	1	42
10.	0	$(3, 3\sqrt{3})$	$y = \sqrt{3}x$	$54\pi$
11.	12	$\triangle VTQ$ (letters in this order only)	4	144
12.	64	rectangle	$12\sqrt{3}$	5
13.	isosceles	$\angle CBF$ (or $\angle CBG$ )	8	27
14.	$\angle 3 \cong \angle 6$	$\angle 1 \cong \angle 4$	$\overline{BD} \cong \overline{FD}$	$\angle 2 \cong \angle 5$

1. Diagonal forms 4 rt triangles with legs 24 and 10, so the hypotenuse is 26 which is a side.

A: 26      B:  $p = 4(26) = 104$

C:  $A = \frac{d_1 d_2}{2} = \frac{48 \cdot 20}{2} = 480$

D:  $h = \frac{A}{b} = \frac{480}{26} = \frac{240}{13}$

2. A:  $PQ = \sqrt{9^2 + 12^2} = 15$

B:  $(\frac{-4+5}{2}, \frac{12+24}{2}) = (\frac{1}{2}, 18)$       C:  $\frac{12-24}{-4-5} = \frac{4}{3}$

D:  $(-4 + \frac{5-(-4)}{3}, 12 + \frac{24-12}{3}) = (-1, 16)$

3. A:  $\sqrt{20^2 - 12^2} = 16$       B:  $\frac{1}{2} \cdot 12 \cdot 16 = 96$

C: Let  $DB = x$ .  $12^2 + (16-x)^2 = (x+8)^2 \rightarrow 144 + 256 - 32x = 16x + 64 \rightarrow x = 7$       D:

$\frac{1}{2} \cdot 12 \cdot 7 = 42$

4. A:  $2r = 6 + 8 = 14; r = 7$

B:  $\frac{6}{AB} = \frac{AB}{8} \rightarrow AB^2 = 48 \rightarrow AB = 4\sqrt{3}$

C:  $\sqrt{6^2 + (4\sqrt{3})^2} = \sqrt{84} = 2\sqrt{21}$

D:  $\frac{1}{2} \cdot 14 \cdot 4\sqrt{3} = 28\sqrt{3}$

5. A: The third side is  $5 + 12 - 2$  or 15. So the perimeter is  $5 + 12 + 15 = 32$

B:  $s = 16$ .  $A = \sqrt{16 \cdot 4 \cdot 1 \cdot 11} = 8\sqrt{11}$

C: The longest altitude is drawn to the shortest side.  $h = \frac{16\sqrt{11}}{5}$

D: The smallest angle is opposite the shortest side. Use the Law of Cosines.

$5^2 = 12^2 + 15^2 - 2 \cdot 12 \cdot 15 \cos \theta \rightarrow \cos \theta = \frac{43}{45}$

6.  $2x + 3x - 15 + x + 15 + 4x - 90 = 360 \rightarrow 10x - 90 = 360 \rightarrow x = 45$        $m\angle P = 2(45) = 90;$   
 $m\angle Q = 3 \cdot 45 - 15 = 120; m\angle R = 45 + 15 = 60;$   
 $m\angle S = 4 \cdot 45 - 90 = 90$

A: Angles P and S are consecutive right angles making segments PQ and SR parallel. The quadrilateral is a trapezoid. See above work for B, C and D.      B: 90      C: 60      D: 120

7. A:  $\frac{s^2 \sqrt{3}}{4} = 36\sqrt{3} \rightarrow s = 12$

B:  $r = \sqrt{6^2 + 3^2} = \sqrt{48}; \pi(\sqrt{48})^2 = 48\pi$

C:  $r = \frac{6}{\sqrt{3}} = 2\sqrt{3}; \pi(2\sqrt{3})^2 = 12\pi$

D:  $V = \frac{1}{3} \pi (6^2) 6\sqrt{3} = 72\pi\sqrt{3}$

8. A:  $\triangle PQR$

B:  $\frac{PR}{PT} = \frac{PQ}{PS} \rightarrow \frac{PR}{4} = \frac{7}{2} \rightarrow PR = 14 \rightarrow SR = 12$

C:  $\frac{PR}{QR} = \frac{PT}{ST} \rightarrow \frac{14}{QR} = \frac{4}{5} \rightarrow QR = \frac{35}{2}$

D:  $PR = 14$  (See work for part B.)

9. **A:** isosceles because

$\overline{AB} \cong \overline{GB}$  since alt int  $\angle$ 's are congruent.

**B:**  $\angle CBF$  They are corresponding angles of parallel lines.

**C:**  $\frac{CF}{CD} = \frac{CB}{CA} \rightarrow \frac{5}{15} = \frac{CB}{12} \rightarrow CB = 4 \rightarrow AB = 8$

Since  $\overline{AB} \cong \overline{BG}$ ,  $BG = 8$ .

**D:** Let  $BG = x$  and  $CG = y$ , then  $BC = 12 - x$  and  $CB = 15 - y$ . The perimeter of the triangle is  $(12 - x) + (15 - y) + x + y = 27$ .

10. **A:** The slopes are opposites so the sum is 0.

**B:** The base of the triangle is 6 so its altitude is  $3\sqrt{3}$ . Therefore, the vertex is  $3\sqrt{3}$ .

**C:**  $m = \frac{3\sqrt{3}-0}{3-0} = \sqrt{3}$  because the line passes

through the origin and the vertex of the triangle. The equation is  $y = \sqrt{3}x$ .

**D:** The solid figure is made up of 2 cones each each with a radius of 3 and a height of  $3\sqrt{3}$ . So

$V = \frac{2}{3}\pi(3\sqrt{3})^2 \cdot 3 = 54\pi$ .

11. **A:**  $\sqrt{15^2 - 9^2} = 12$     **B:**  $\triangle VTQ$

**C:**  $\frac{VQ}{PQ} = \frac{TQ}{QW} \rightarrow \frac{VQ}{12} = \frac{5}{15} \rightarrow VQ = 4$

**D:**  $9 \cdot 16 = 144$

12. **A:** See diagram. The bases of

the trapezoid are  $2r$  and

$2R$ . The altitude is  $r + R$ .

Since  $r + R = 8$ ,  $2r + 2R =$

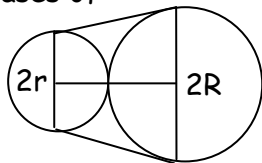
$16$ . So the area is

$\frac{1}{2} \cdot 8 \cdot 16 = 64$

**B:** The opposite angles would be right angles and the quadrilateral must be a rectangle. (not necessarily a square)

**C:**  $\sqrt{12^2 - 6^2} = 6\sqrt{3}; 2(6\sqrt{3}) = 12\sqrt{3}$

**D:**  $3^2 + 4^2 + h^2 = (5\sqrt{2})^2 \rightarrow h^2 = 25 \rightarrow h = 5$



13. **A:**  $P(-1) + 3 \cdot 6 - 12 = 0 \rightarrow P = 6$

**B:**  $-\frac{P}{3} = 3 \rightarrow P = -9$     **C:**  $-\frac{P}{3} = -\frac{1}{3} \rightarrow P = 1$

**D:**  $-P - 12 - 12 = 0 \rightarrow P = -24;$

$-1 - 4Q - 6 = 0 \rightarrow Q = -\frac{7}{4}; P \cdot Q = -24 \cdot -\frac{7}{4} = 42$

14. **A:** Since  $\angle A$  is in both triangles, it is congruent to itself. The other angles not included by the congruent sides are  $\angle 3 \cong \angle 6$ .

**B:**  $\angle 1 \cong \angle 4$  because the congruent sides are included by these angles and angle A.

**C:** The vertical angles are congruent. So  $\overline{FD} \cong \overline{BD}$  so that the angle will be included.

**D:**  $\angle 2 \cong \angle 5$  so that the side is not included between the vertical angles and these angles.